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# Background

- Primarily engineering majors in calculus-based physics sections (~500/year)
- Quarter system with first (of four quarters) devoted to kinematics, mechanics (minus oscillation), and fluids
- Engineering faculty dissatisfied with level of instruction in statics

and, of course,

- Physics faculty dissatisfied with performance in general

## DISCLAIMER

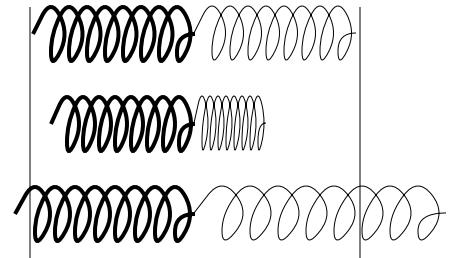
- The following represents immature and evolving thoughts

# Observations

- *Instruction in kinematics (often or always) involves:*
  - > no physical principles
  - > a large set of complicated looking equations
  - > explicit teaching of bad problem solving habits
  - > time-dependent quantities requiring careful mental distinction and notation
  - > problematic evaluations of starting and ending “states”— e.g., “just after release” and “just before hitting the ground”
  - > a background of confusion about the velocity/acceleration distinction
- *Instruction in statics involves:*
  - > a simply-stated physical principle
  - > no time dependence
  - > the concept of a system
  - > free body diagrams / identification of forces
  - > straightforward vector math

# Overview of Approach (first lessons)

- look at nature as a collection of interacting “systems”
- notice the overwhelming prevalence of “equilibrium”
- recognize equilibrium as the natural result of “dissipation” and self-regulating contact “forces”
- model the contact forces by the behavior of springs of varying stiffness (à la Clement)
- obtain a restricted case of Newton’s Third law
- define force (“arbitrarily”) in terms of a calibrated spring



## Overview of Approach (first lessons) [cont'd]

- examine equilibrium situations and hypothesize

$$F_{\text{net}} = F_{\text{on system}} = 0 \quad [\text{vectors}]$$

- identify and examine the *contactless* gravitational force
- introduce and define “gravitational mass” (arbitrarily in terms of relative *weights*) and “field” (in N/kg) to account for observations
- motivate and develop second condition

$$\tau_{\text{net}} = 0 \quad [\text{cross product}]$$

# Things to note (things I like!)

- Physics on day one, not week three or four
- A simple principle, not a set of complicated equations  
(stresses “how to apply the principle” rather than “how to find the right equation”)
- Early introduction to concepts of restoring force, oscillation, and dissipation which will be returned to later
- Vectors introduced in a non-displacement context  
(vector properties based on usefulness for describing observations rather than *apparent* physical necessity)
- “Gravitational field”, not “acceleration due to gravity”
- No time dependence; no early confusion re: velocity vs. acceleration and the dynamical effects of forces
- Early introduction to the physicist’s world view  
—i.e., “interacting systems”

# Overview of Approach (later lessons)

## ***Relative velocity***

- note that all of the above takes place on a moving platform and infer that simple motion is unremarkable (Newton's First law)
- more vectors:  $r_{ba}$ ,  $v_{ba} = \frac{dr_{ba}}{dt}$ ,  $v_{ca} = v_{cb} + v_{ba}$

## Overview of Approach (later lessons) [cont'd]

### Momentum

- observe that  $F_{\text{net}} \neq 0$  causes change in “motion” and establish

$$v = \frac{F_{\text{net}}}{m} t \quad [\text{w/ minor digression on “equivalence”}]$$

- remove arbitrariness from definition of the Newton
- manipulate the above to obtain  $p = J$  and  $\frac{dv}{dt} = \frac{F_{\text{net}}}{m}$   
(Newton’s Second law)
- extend to multiparticle systems; *observe* conservation of momentum; infer Newton’s Third law

## *Overview of Approach (later lessons) [cont'd]*

### ***Angular momentum***

- Minimal treatment intended primarily to complement the conservation of linear momentum

### ***Energy***

- Motivate  $F_{\text{net}} \cdot r$  as another measure of “effect” [dot product]
- Work-Energy, conservation of energy

## *Overview of Approach (later lessons) [cont'd]*

Finally!!! Time “dependence”— $r(t)$  and  $v(t)$

### ***Uniform gravity/Constant force***

- $\frac{dv}{dt} = \frac{F_{\text{net}}}{m} = g$  (or at least constant)      [“acceleration”]
- constant acceleration kinematics

### ***Circular motion***

### ***Newtonian gravity and orbital motion***

### ***Oscillation***

## What gets left out

- rotational kinematics and rolling
- rotational dynamics (except for angular momentum and rotational kinetic energy)
- fluids (probably simply pushed to the next quarter)

## What gets less emphasis

- friction
- Newton's laws
- constant acceleration kinematics and dynamics
- center of mass and rotational inertia

## What gets more emphasis

- static equilibrium
- conservation laws
- non-constant acceleration dynamics
- gravitational field
- oscillation

# Reservations

- Approach is a little retro in some areas, especially beginning
- Is the concept of force too abstract to be made so central?
- Deemphasis of differential calculus skills that might be motivated and developed in early kinematics instruction
- Is it OK to deal with *changes* in velocity without worrying about *changing* velocity?
- Is it OK to eliminate rotational kinematics, rolling,  $\tau_{\text{net}} = I$  and, of course,
- Will anybody else find the approach useful?
- Feedback?